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Integrated II Unit 10 Study Guide

| 1. What is the sample space? | 12. What is the sample space? | 23. What is the sample space? |
| :---: | :---: | :---: |
| 2. Given the model below | 13. Given the model below | 24. Given the model below |
| a. What is the probability of randomly selecting ? | a. What is the probability of randomly selecting $\square$ | a. What is the probability of randomly selecting a vowel? |
| b. What is the probability of randomly selecting $\bigcirc$ ? | b. What is the probability of randomly selecting $\square$ ? | b. What is the probability of randomly selecting a consonant? |
| c. Is the model uniform or non-uniform? Explain your reasoning. | c. Is the model uniform or non-uniform? Explain your reasoning. | c. Is the model uniform or nonuniform? Explain your reasoning. |
| d. What is the probability of choosing a ball without stars? | d. What is the probability of choosing a shape that is not $\rangle$ ? | d. What is the probability of choosing a letter that is not a vowel? |
| 3. You have 5 tee-shirts and 6 pair of shorts in a drawer, as shown in the diagram. You randomly choose one shirt and one pair of shorts from the drawer. | 14. You have 4 tee-shirts and 4 pair of shorts in a drawer, as shown in the diagram. You randomly choose one shirt and one pair of shorts from the drawer. | 25. You have 3 tee-shirts and 2 pair of shorts in a drawer, as shown in the diagram. You randomly choose one shirt and one pair of shorts from the drawer. |
| a. Use the Counting Principle to calculate the size of the sample space. Show your calculations. | a. Use the Counting Principle to calculate the size of the sample space. Show your calculations. | a. Use the Counting Principle to calculate the size of the sample space. Show your calculations. |
| b. What is the probability of choosing a green shirt and a black pair of shorts? | b. What is the probability of choosing a blue shirt and a gray pair of shorts? | b. What is the probability of choosing a black shirt and any pair of shorts? |

4. You randomly choose a shape from each group. What is the probability that both will be rectangles? Show your calculations.

5. Suppose you randomly choose a marble from a bag of 20 marbles.
Show your calculations in answering the questions.

a. You draw out a marble, replace it, and then draw out another. What is the probability of choosing a shaded marble and then an unshaded one?
b. Suppose instead that you do not replace the first marble. What is the probability of choosing a shaded marble and then an unshaded one?
6. Suppose you randomly choose a marble from a bag of 25 marbles. Show your calculations in answering the questions.

a. You draw out a marble, replace it, and then draw out another. What is the probability of choosing an unshaded marble and then a shaded one?
b. Suppose instead that you do not replace the first marble. What is the probability of choosing an unshaded marble and then a shaded one?
7. There are 350 tickets in a raffle. You buy 3 tickets. One winning ticket will be randomly chosen.
a. What is the theoretical probability that you will win the raffle?
b. Out of 350 numbers generated, the numbers on your raffle tickets appear 15 times. Based on this simulation, what is the experimental probability that you will win the raffle?
c. Define theoretical probability in comparison to experimental probability.
8. You randomly choose a shape from each group. What is the probability that both will be cylinders? Show your calculations.

9. Suppose you randomly choose a marble from a bag of 10 marbles. Show your calculations in answering the questions.

a. You draw out a marble, replace it, and then draw out another. What is the probability of choosing a shaded marble and then a shaded marble?
b. Suppose instead that you do not replace the first marble. What is the probability of choosing a shaded marble and then a shaded marble?
10. There are 1000 tickets in a raffle. You buy 950 tickets. One winning ticket will be randomly chosen.
a. What is the theoretical probability that you will win the raffle?
b. Out of 1000 numbers generated, the numbers on your raffle tickets appear 1000 times. Based on this simulation, what is the experimental probability that you will win the raffle?
c. Why is the theoretical probability different from the experimental probability?

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| 7. Oceanview High School. Gender |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| O0000000000 |  | Male | Female | Total |
|  | Plays sports | 105 | 53 | 158 |
|  | Doesn't play <br> sports | 30 | 44 | 74 |
|  | Total | 135 | 97 | 232 |

a. Name the two variables displayed in the table.
b. How many of the students are male and do not play sports?
c. How many of the students play sports?
d. If a student is selected at random, what is the probability that he or she plays sports?
e. What is the probability that a randomly selected student is a male or plays sports?
f. What is the probability that a randomly selected student is a male, given that he plays sports?
8. Suppose you must choose a 5-digit code for your locker using the digits 0 through 9 , and no digit can be used more than once. How many 5digit codes are possible?
18. Northvale Junior High School.

|  | Grade |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  | 7 th | $8^{\text {th }}$ | Total |
|  | Art | 34 | 36 | 70 |
|  | Music | 27 | 58 | 85 |
|  | Books | 16 | 29 | 45 |
|  | Sports | 43 | 37 | 80 |
|  | Total | 120 | 160 | 280 |

a. Name the two variables displayed in the table.
b. How many of the students are in $8^{\text {th }}$ grade and prefer art?
c. How many of the students prefer sports?
d. If a student is selected at random, what is the probability that he or she is in $9^{\text {th }}$ grade?
e. What is the probability that a randomly selected student is an $8^{\text {th }}$ grader who prefers art?
f. What is the probability that a randomly selected student is a $7^{\text {th }}$ grader, given that he or she prefers music?
29. Cedar Hills High School

|  | In a <br> Club | Not <br> in a <br> Club | Total |
| :--- | :---: | :---: | :---: |
| Freshmen | 117 | 17 | 134 |
| $\%$ Sophomores | 142 | 41 | 183 |
|  | 114 | 37 | 151 |
|  | 102 | 50 | 152 |
|  | 475 | 145 | 620 |

a. Name the two variables displayed in the table.
b. How many of the students are freshmen and in a club?
c. How many of the students are juniors?
d. If a student is selected at random, what is the probability that he or she is in a club?
e. What is the probability that a randomly selected student is either in a club or not in a club?
f. What is the probability that a randomly selected student is a sophomore, given that he or she is not in a club?
30. Suppose you must choose a 6-digit code for your locker using the digits 0 through 9, and no digit can be used more than once. How many 6digit codes are possible?

Name:
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| 9. An archery target has two scoring rectangles inside a rectangle. <br> a. What are the areas of the two shaded regions? <br> b. What is the probability of an arrow hitting a random spot on the target and landing in one of the scoring rectangles? | 20. An archery target has two scoring rectangles inside a rectangle. <br> a. What are the areas of the two shaded regions? <br> b. What is the probability of an arrow hitting a random spot on the target and landing in one of the scoring rectangles? | 31. An archery target has two scoring rectangles inside a rectangle. <br> a. What are the areas of the two shaded regions? <br> b. What is the probability of an arrow hitting a random spot on the target and landing in one of the scoring rectangles? |
| :---: | :---: | :---: |
| 10. There are 11 players on a volleyball team, but only 6 players can be on the court to start a match. How many different starting lineups are possible? | 21. There are 10 players on a water polo team, but only 7 players can be in the water to start the game. How many different starting lineups are possible? | 32. There are 25 players on a tennis team, but only 2 players can play the first doubles match. How many different starting lineups are possible? |
| 11. You randomly choose 2 blocks from the set. <br> a. If you choose two blocks at the same time, what is the probability that both bocks will have a vowel on them? <br> b. If you choose two blocks at the same time, what is the probability that both blocks will have a T on them? | 22. You randomly choose 2 blocks from the set. <br> a. If you choose two blocks at the same time, what is the probability that both bocks will have a consonant on them? <br> b. If you choose two blocks at the same time, what is the probability that both blocks will have a vowel on them? | 33. You randomly choose 2 blocks from the set. <br> a. If you choose two blocks at the same time, what is the probability that the first block will have a B on it and the second block will have a vowel on it? <br> b. If you choose two blocks at the same time, what is the probability that both blocks will have a letter on them? |

