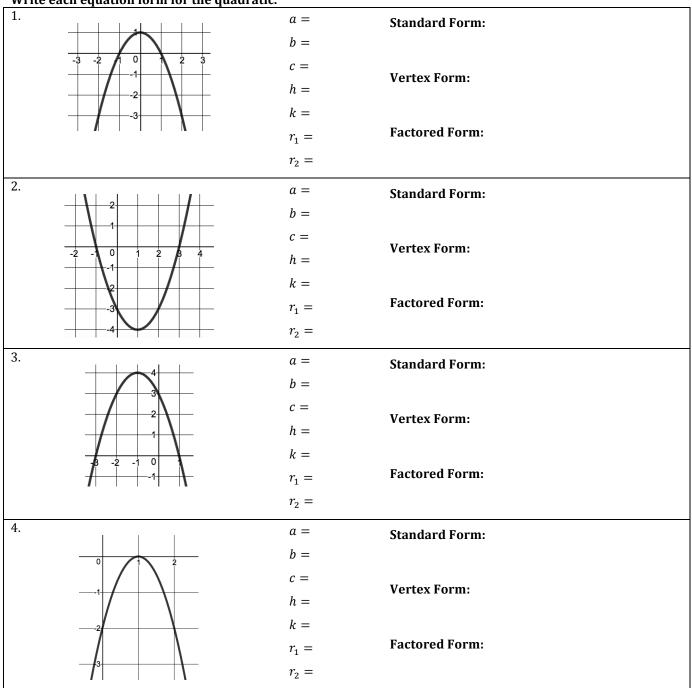
Writing Quadratic Equations from a Graph (Part 1)

To write the **standard** $(f(x) = ax^2 + bx + c)$, **vertex** $(f(x) = a(x - h)^2 + k)$ and **factored** form $(f(x) = a(x - r_1)(x - r_2))$ equations of a quadratic, you must identify $a, b, c, h, k, r_1 \& r_2$. All of which can be found using the graph.

| a is | s the stretch: go over 1, how far do | b is not on the graph, but it can be | c is the y intercept: where does the |
|------|--------------------------------------|--|--------------------------------------|
| you | u go up or down before you hit the | found using the formula | curve cross the <i>y</i> -axis? |
| cur | rve? | x = -b (same as $b = -b$) | |
| | | $x = \frac{-b}{2a} \left(same \ as \ h = \frac{-b}{2a} \right)$ | |
| h is | s the axis of symmetry: what is the | k is the maximum or minimum: what | r_1 and r_2 are the x-intercepts |
| x-v | alue of the vertex? | is the y-value of the vertex? | (roots/zeros/solutions): where does |
| | | | the curve cross the <i>x</i> -axis? |

Write each equation form for the quadratic.



| 5. | |
|--|--|
| | |
| a = Standard Form: | |
| -4 - 3 - 2 - 1 0 1 2 3 4 $b =$ | |
| c = | |
| Vertex Form: $h = \frac{1}{3}$ | |
| $k = \frac{1}{2}$ | |
| | |
| 71 - | |
| $r_2 =$ | |
| | |
| 6. $a = $ Standard Form: | |
| b = | |
| c = | |
| Vertex Form: $h = $ | |
| | |
| $k = \frac{1}{2} - \frac{1}{2} = \frac{1}{2}$ | |
| $r_1 = $ Factored Form: | |
| $r_2 =$ | |
| 7. | |
| standard Form: | |
| b = | |
| c = Vertex Form: | |
| h = | |
| $\frac{1}{100}$ $\frac{1}$ | |
| $r_1 = $ Factored Form: | |
| $r_2 =$ | |
| | |
| 8. $a = $ Standard Form: | |
| b = | |
| -1 -2 -1 0 C = | |
| Vertex Form: $h =$ | |
| | |
| $k = $ $r_{-} = $ Factored Form: | |
| 71 | |
| $r_2 =$ | |
| 9. | |
| a – Standard Form: | |
| b = | |
| c = Vertex Form: | |
| h = | |
| $k = \frac{1}{2} + $ | |
| $r_1 = r_2$ Factored Form: | |
| $r_2 =$ | |
| 12 - | |