

Systems of Notation

I. VOCAB.

A. Rational #'s vs Irrational #'s

↳ stop or repeat

↳ NO stop, NO repeat

ex./ 3.5 (stops)

ex./ 5.7179234779652...

ex./ 1.818181... (rational) repeats

ex./ $\pi = 3.141579...$

ex./ $\frac{1}{3} = 0.\bar{3}$

II. CORRECT Way to write answers (Number)

A. for $x =$ answers

USE Roster Notation

use $\{ \}$

ex./ $x = 7 \rightarrow x = \{7\}$

ex./ $x = 3, -2, \text{ OR } 5 \rightarrow x = \{-2, 3, 5\}$
lowest highest
In order!

B. for $x <$ OR $x >$



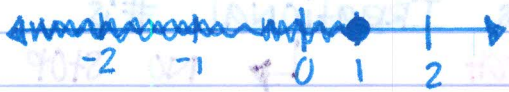
★ I. Set-builder Notation

use $\{ x \mid \text{inequality goes here} \}$
 "x such that..."



ex./ $-3 < x < 2 \rightarrow \{x \mid -3 < x < 2\}$

$$\{x \mid x \leq 1\} \rightarrow \{x \mid x \leq 1\}$$



2. Interval Notation

~~{ }~~

use: () means not equal to



[] means equal to



$$\{x \mid -1 < x \leq 5\} \rightarrow (-1, 5]$$

start small
end big
Not =
= to

$$\{x \mid 2 \leq x < 3\} \rightarrow [2, 3)$$

equal to
equal to

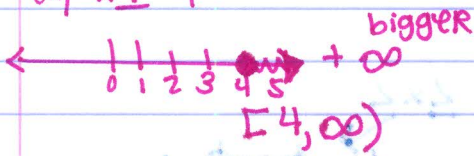


If there is NO start OR NO end #... it goes to infinity...

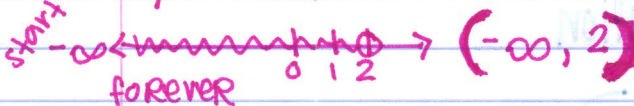
$$(-\infty \leftarrow \rightarrow \infty)$$

∞ goes with (always)

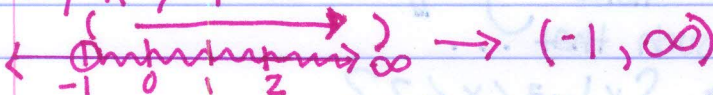
$$\{x \mid x \geq 4\}$$



$$\{x \mid x < 2\}$$



$$\{x \mid x > -1\}$$



TB: 1-3 Rationalizing the denominator

I. Getting $\sqrt{\quad}$ out of the bottom

A. Follow the pattern

ex/ $\frac{1}{\sqrt{2}} \rightarrow \frac{1 \cdot \sqrt{2}}{2}$ ex/ $\frac{1}{\sqrt{11}} = \frac{\sqrt{11}}{11}$

ex/ $\frac{1}{\sqrt{113}} = \frac{\sqrt{113}}{113}$

B. Simplifying from there

ex/ $\frac{9}{\sqrt{3}} \stackrel{3 \div 3}{=} \frac{9\sqrt{3}}{3} \stackrel{9 \div 3}{=} 3\sqrt{3}$

I can cancel stuff

$\frac{9}{3}$ normal ← Yes
 $\frac{\sqrt{3}}{3}$ not normal
 normal
 NO!

ex/ $\frac{12}{5\sqrt{10}} = \frac{12\sqrt{10}}{5 \cdot 10} \stackrel{20 \div 2}{=} \frac{12\sqrt{10}}{50} = \frac{6\sqrt{10}}{25}$

★ Bonus:

Adding & Subtracting $\sqrt{\quad}$

★ treat the same $\sqrt{\quad}$'s like an "x"

ex/ $3\sqrt{2} - 2\sqrt{2} = \{\sqrt{2}\}$
 like: $3x - 2x = x$

ex/ $5\sqrt{18} + 2\sqrt{2} = 15\sqrt{2} + 2\sqrt{2}$
 $5 + 3\sqrt{2} + 2\sqrt{2}$
 $= \{17\sqrt{2}\}$

TB 1-6 Functions

I. Relations

↳ Relationships between coordinates

a point $\rightarrow (x,y)$

Relation: $\{(3,2)(5,7)(9,1)\}$

x is related to y!

II. Functions

"Every girl gets 1 guy,

Every x gets 1 y

(x is girl, y is boy)

slut-free

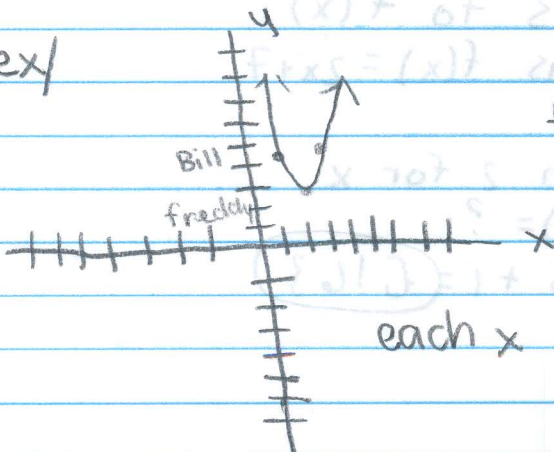
ex/ Jackie Juan
 Jessica Jose
 Karina Daniel
 Antony

Playa!
 Allowed
 function

ex/ x	y	x girl	y guy	
-2	5	-2	5	Not
7	8	9
9	0	-2	4	Function

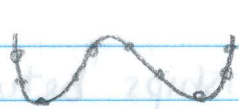
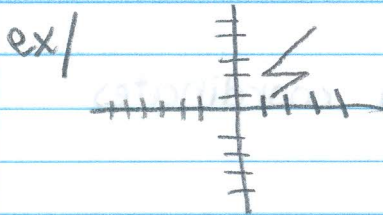
SLUT

ex/



function

each x has 1 y



← player!
function

slut



Not a function
vertical line
test **fail**

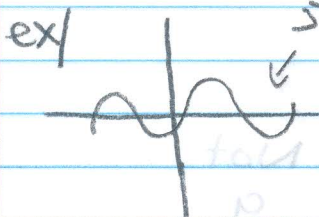
B. Must take vertical line test to see if it functions.

ex/ $\{(5,1) (3,5) (2,7) (8,5) (9,5)\}$ **Function!**

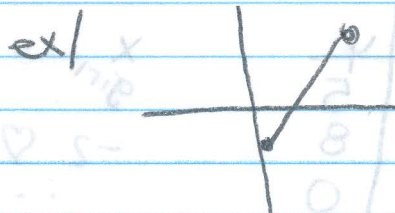
ex/ $\{(3,1) (2,4) (5,11)\}$ Function!

ex) $x | \textcircled{2} 5 9 \textcircled{2}$ ← top girls
 $y | 3 7 3 4$

! No function!



NO!



Function

III. Plugging in x's to f(x)

$y = 2x + 7$ is same as $f(x) = 2x + 7$

use it because

$f(2)$ means: plug in 2 for x

ex/ $f(x) = 5x + 1$ $f(3) = ?$

$f(3) = 5(3) + 1 = 15 + 1 = \{16\}$

(leave alone)

TB: 1-9 Parent Function & their graphs

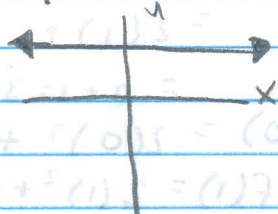
I. The parental units...

constant family

$f(x) = c$

(When c is a #)

ex | $f(x) = 3$



Linear

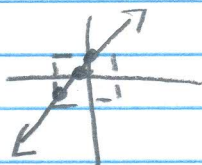
$f(x) = x$

$f(-1) = -1$

$f(0) = 0$

$f(1) = 1$

x	y
-1	-1
0	0
1	1



Quadratic

$f(x) = x^2$

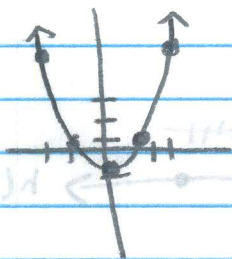
$f(-1) = (-1)^2 = 1$

$f(0) = (0)^2 = 0$

$f(1) = (1)^2 = 1$

$f(2) = 2^2 = 4$

x	y
-1	1
0	0
1	1
2	4



Cubic

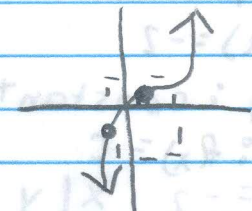
$f(x) = x^3$

$f(-1) = (-1)^3 = -1$

$f(0) = (0)^3 = 0$

$f(1) = (1)^3 = 1$

x	y
-1	-1
0	0
1	1



Square root

$f(x) = \sqrt{x}$

$f(-2) = \sqrt{-2}$ Cant!

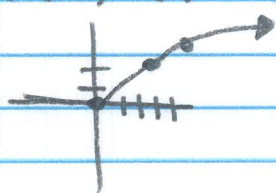
No real pt!

$f(0) = \sqrt{0} = 0$

$f(1) = \sqrt{1} = 1$

$f(4) = \sqrt{4} = 2$

x	y
0	0
1	1
4	2



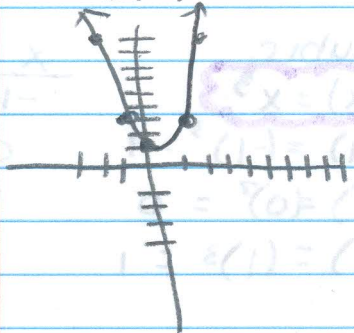
II. Identifying & graphing their babies

ex/ $g(x) = 2x^2 + 1$

Quadratic family!

parent: $g(x) = x^2$

x	y
-2	9
-1	3
0	1
1	3
2	9



$f(-2) = 2(-2)^2 + 1$

$= 2(4) + 1$

$= 8 + 1 = 9$

$f(-1) = 2(-1)^2 + 1$

$= 2(1) + 1$

$= 2 + 1 = 3$

$f(0) = 2(0)^2 + 1 = 0 + 1 = 1$

$f(1) = 2(1)^2 + 1$

$= 3$

$f(2) = 2(2)^2 + 1$

$= 9$

ex/ $h(x) = -2$

Family: constant

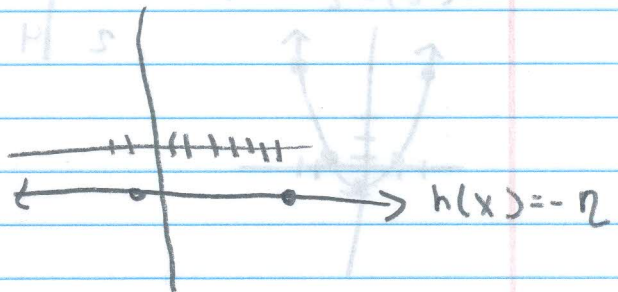
parent: $f(x) = c$

$h(-1) = -2$

$h(0) = -2$

$h(5) = -2$

x	y
-1	-2
0	-2
5	-2



ex/ $j(x) = \sqrt{-x+2}$

Square root

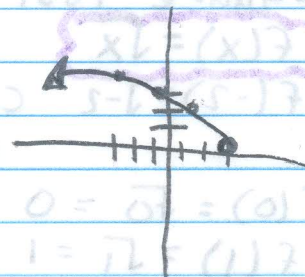
parent: $f(x) = \sqrt{x}$

$j(2) = \sqrt{-(2)+2} = \sqrt{0} = 0$

$j(1) = \sqrt{-(-1)+2} = \sqrt{1} = 1$

$j(-2) = \sqrt{-(-2)+2}$
 $= \sqrt{2+2} = \sqrt{4} = 2$

x	y
2	0
1	1
-2	2



1-8 locating transformations

$RS(rsx+t)+T$

R is + or - r is + or -
 front outside() front inside()

S is a # multiplied
 to ()

* S is a # multiplied
 to ()

← will
 change
 later

T is # back
 outside ()

* t is a # back
 inside ()

I. If no () no rst!
 $RSx + T$

ex/ $f(x) = -3(x+6)^2 - 2$

R = - r = +
 S = 3 s = 1
 T = -2 t = 6

ex/ $g(x) = 4x^3 + 7$

R) + r = none
 S = 4 s = none
 T = 7 t = none